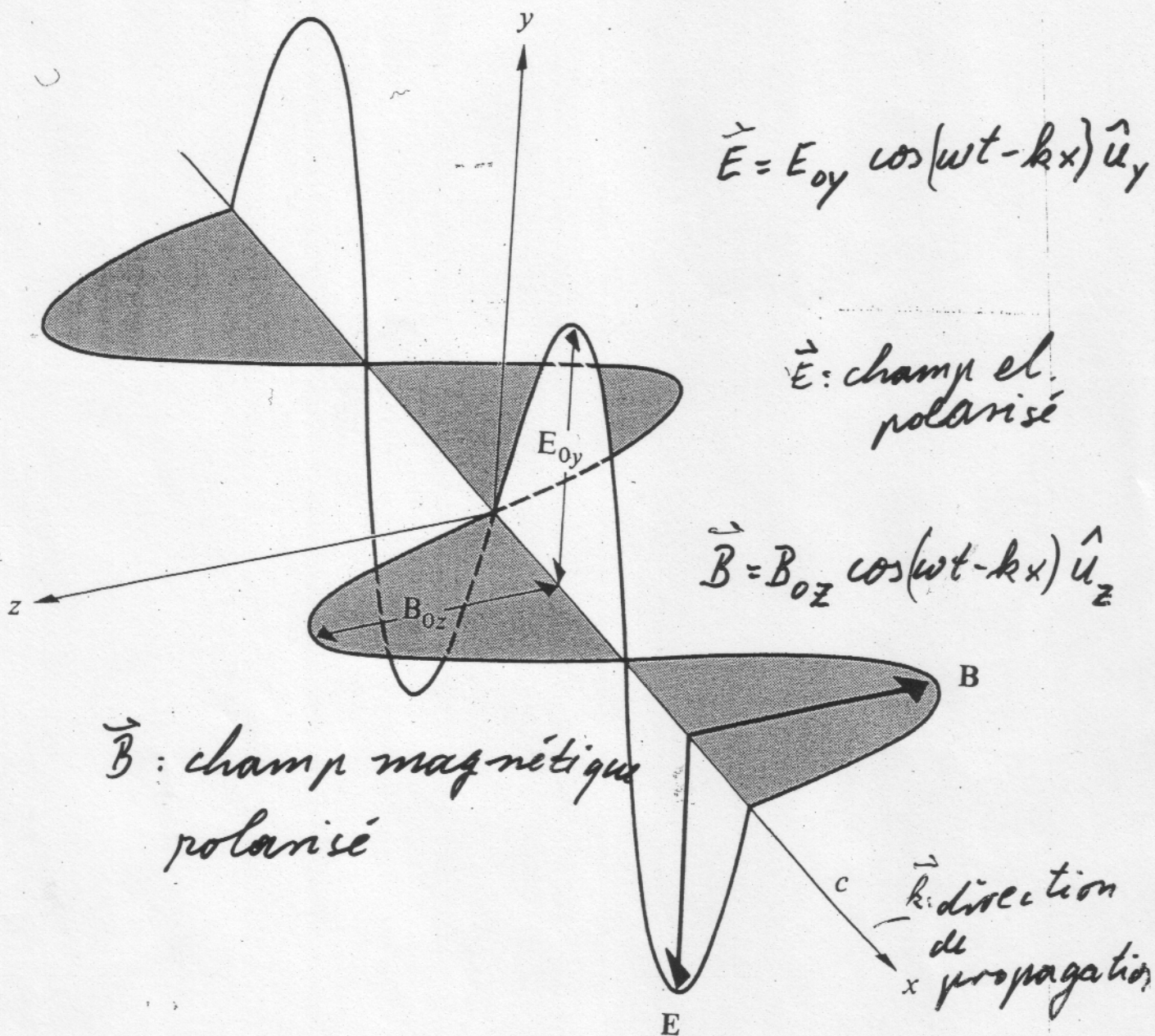


Onde électromagnétique



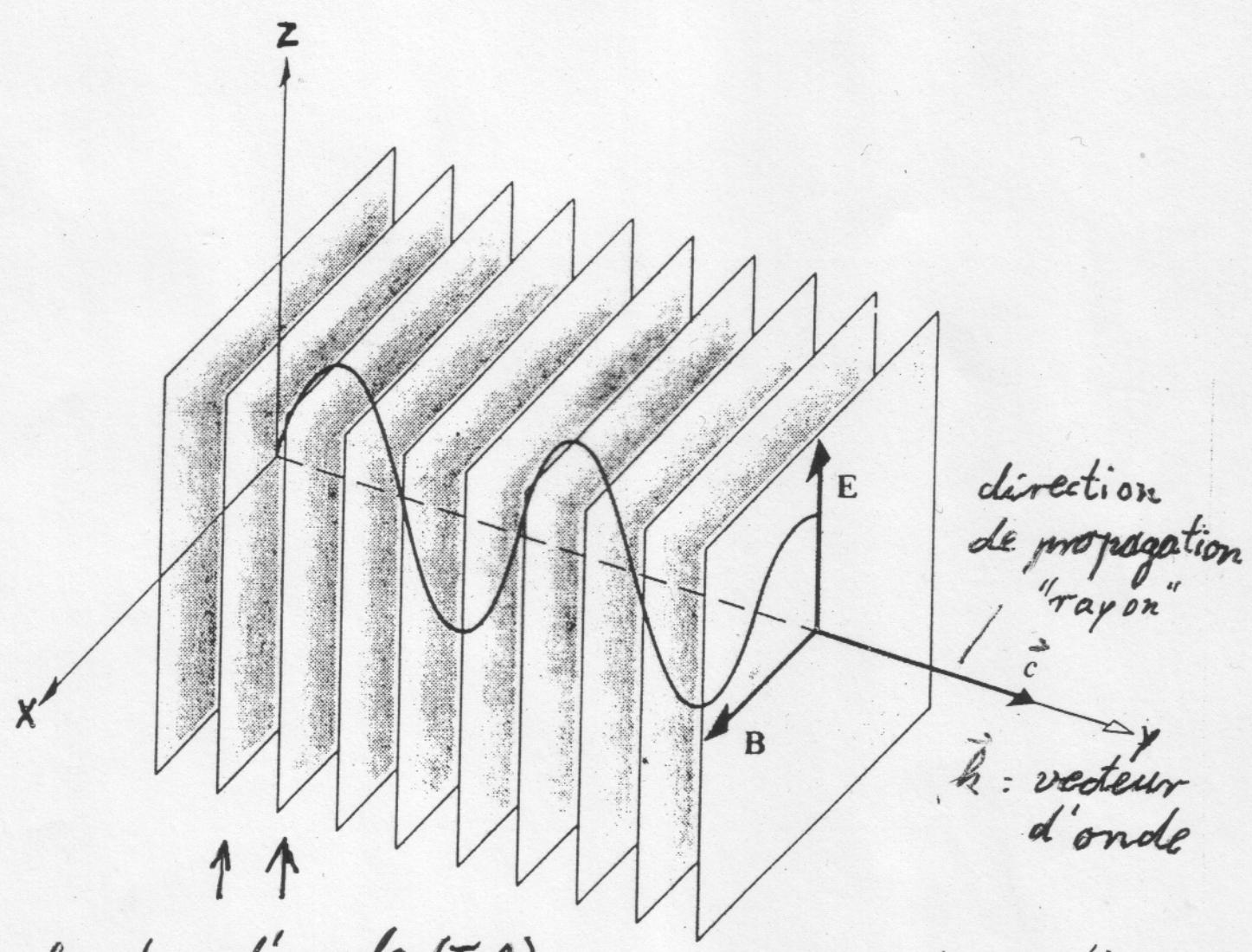
\vec{k} : vecteur d'onde ;

$$\vec{E} \perp \vec{k} \parallel \hat{x}, \quad \vec{B} \perp \vec{k}, \quad \vec{E} \perp \vec{B}$$

Fréquence $\nu = 1/T$; $\omega = 2\pi\nu$

longueur d'onde $\lambda = c/\nu$; $|\vec{k}| = 2\pi/\lambda$

Ondes planes & rayons de lumière



direction
de propagation
"rayon"
 \hat{c}
 \vec{k} : vecteur
d'onde

fronts d'onde (FO)

(surfaces de phase constants)

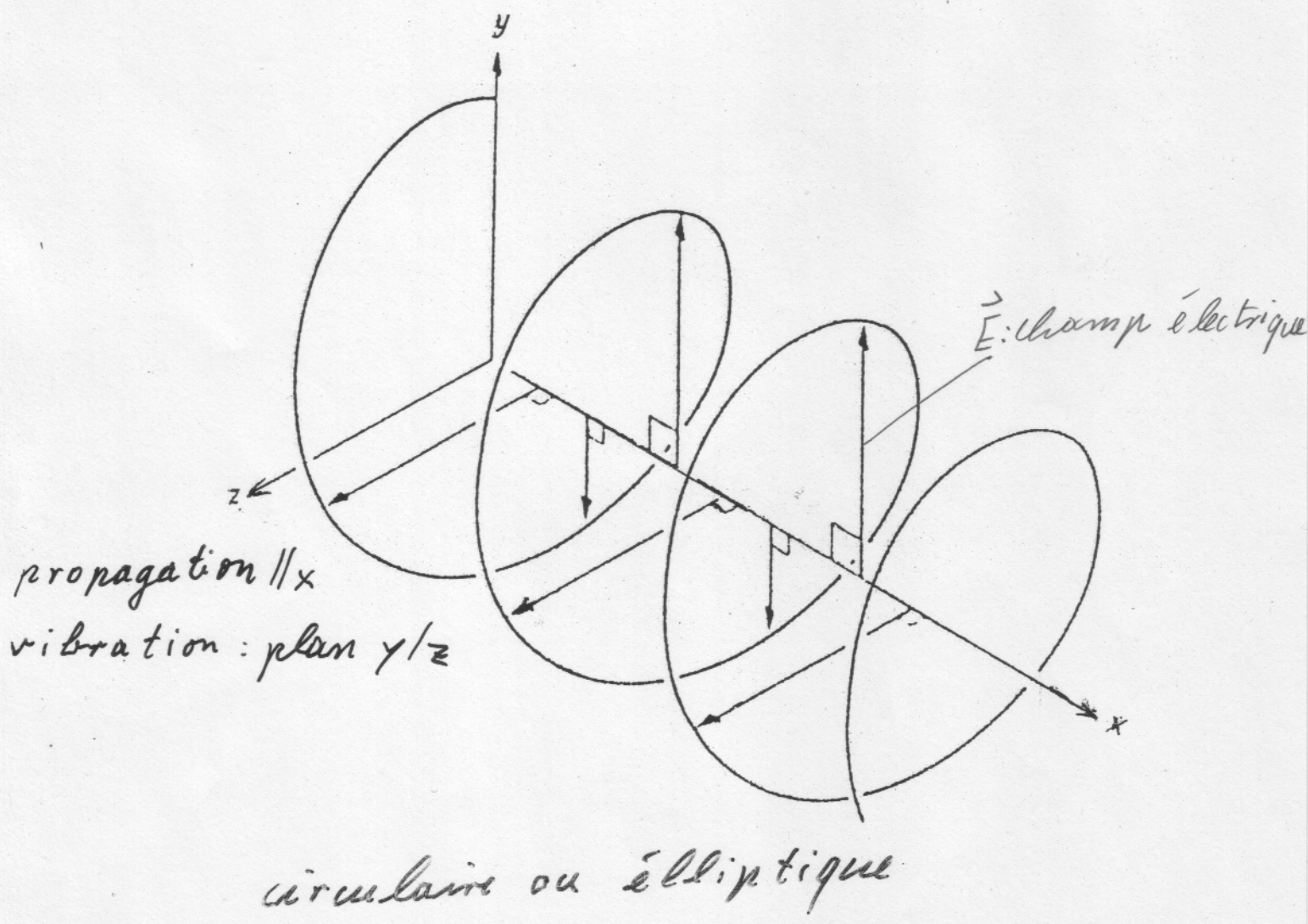
FO \perp "rayons"

Polarisation
linéaire :
ici $\vec{E} \parallel \vec{z}$

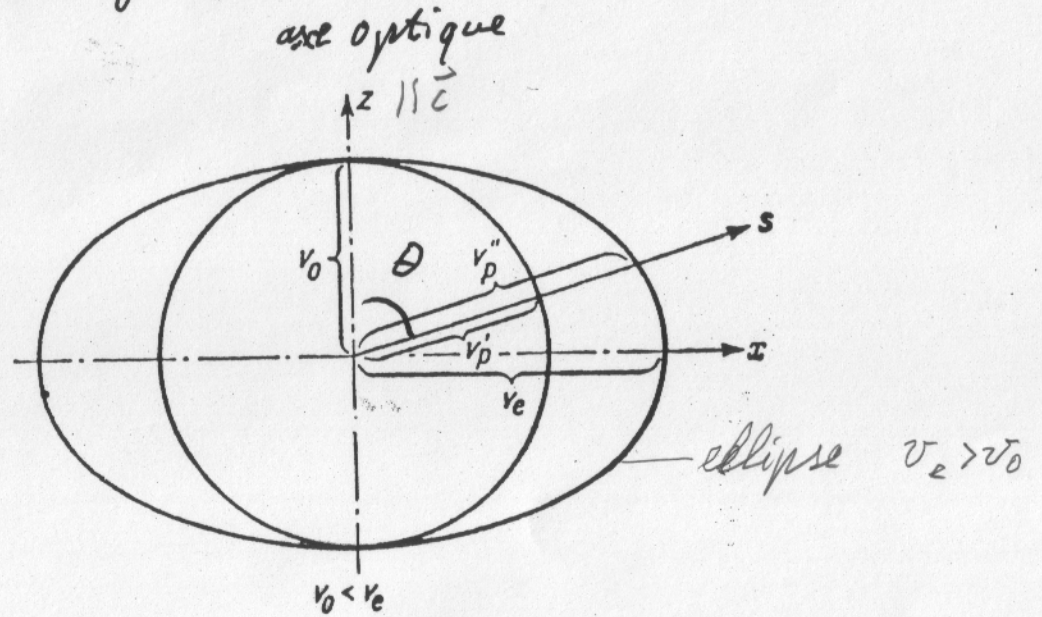
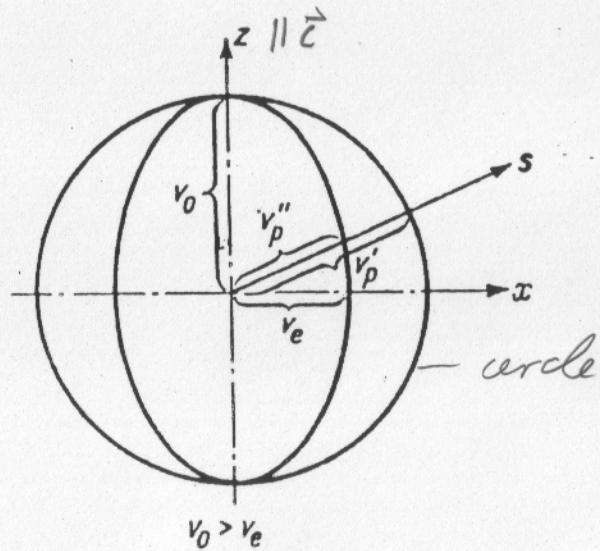
si FO sont des plans \Rightarrow ondes planes

" " " " sphères \Rightarrow ondes sphériques

Polarisation



Birefringence

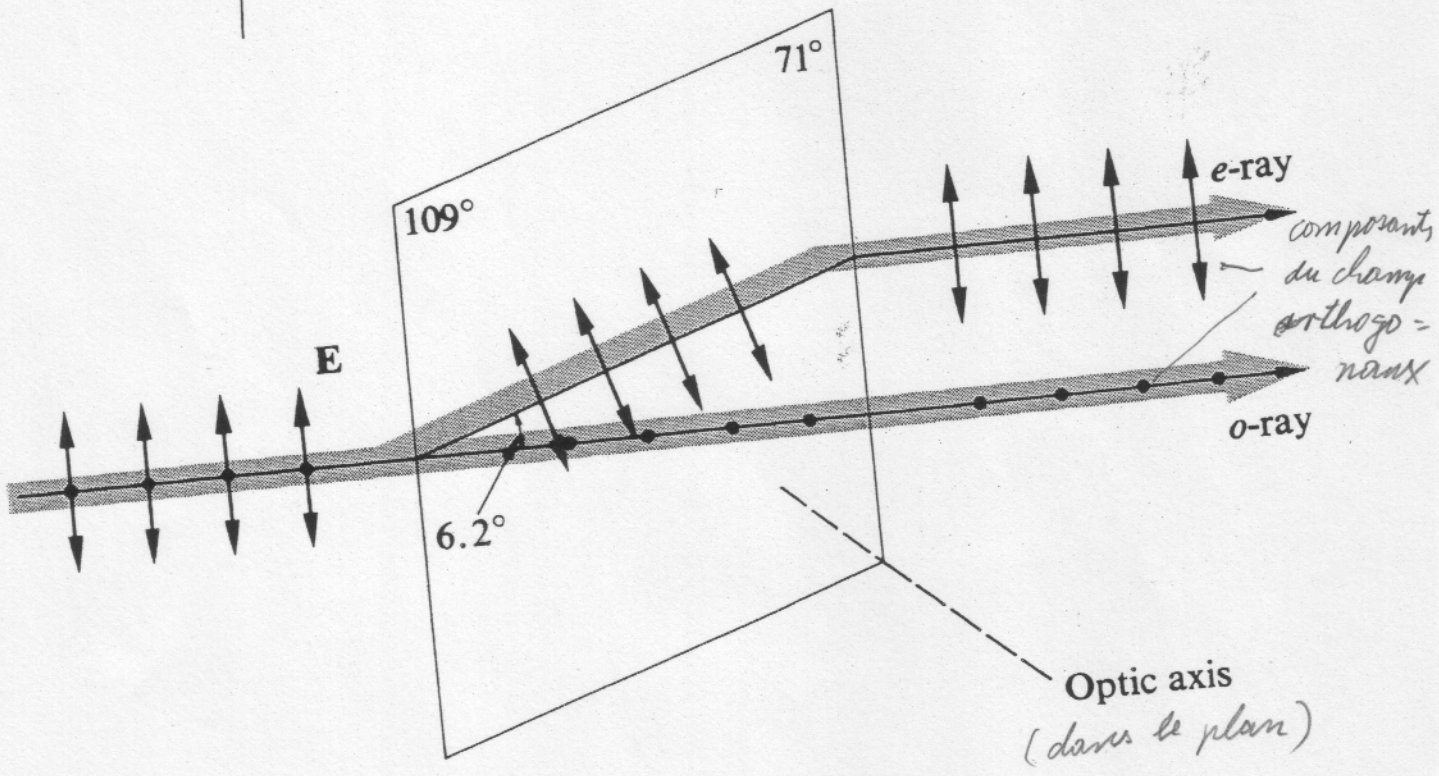
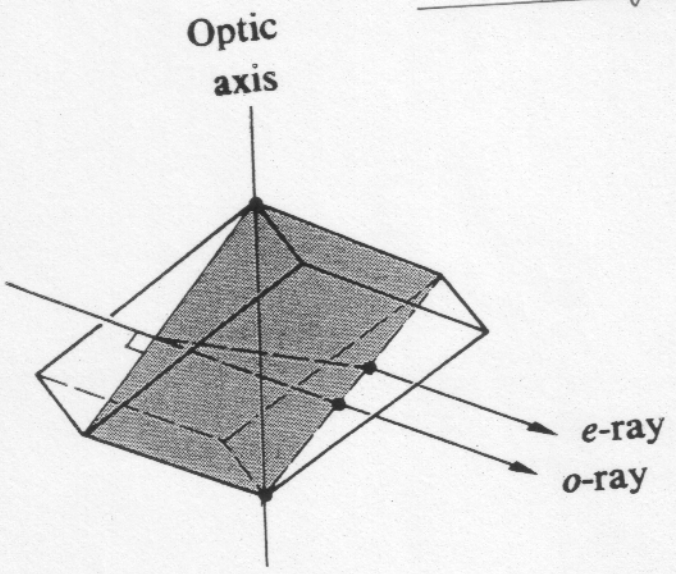


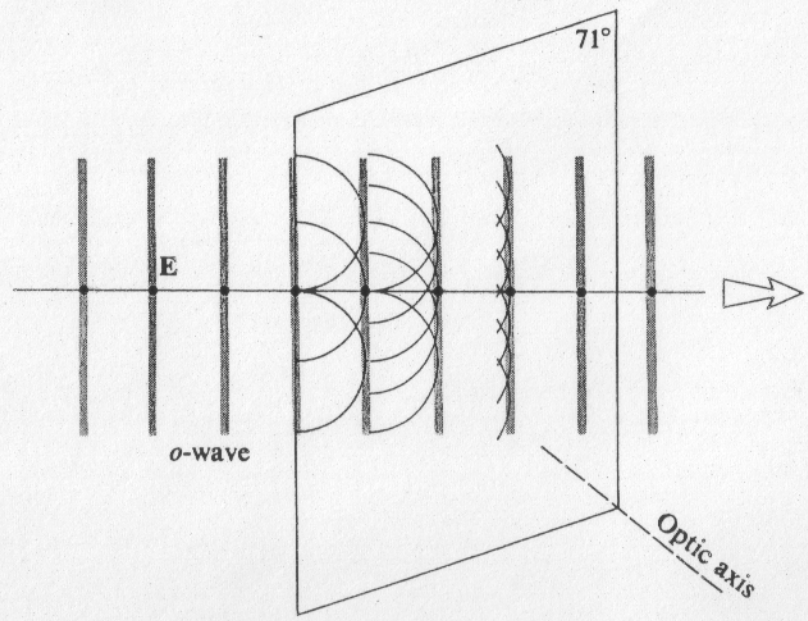
v_0 : vitesse ordinaire ($\vec{E} \perp \vec{c}$)
 v_e : vitesse extraordinaire $\vec{E} \parallel c$
 cristal uniaxial positif

(Dispersion $n(\theta)$)
 cristal uniaxial négative

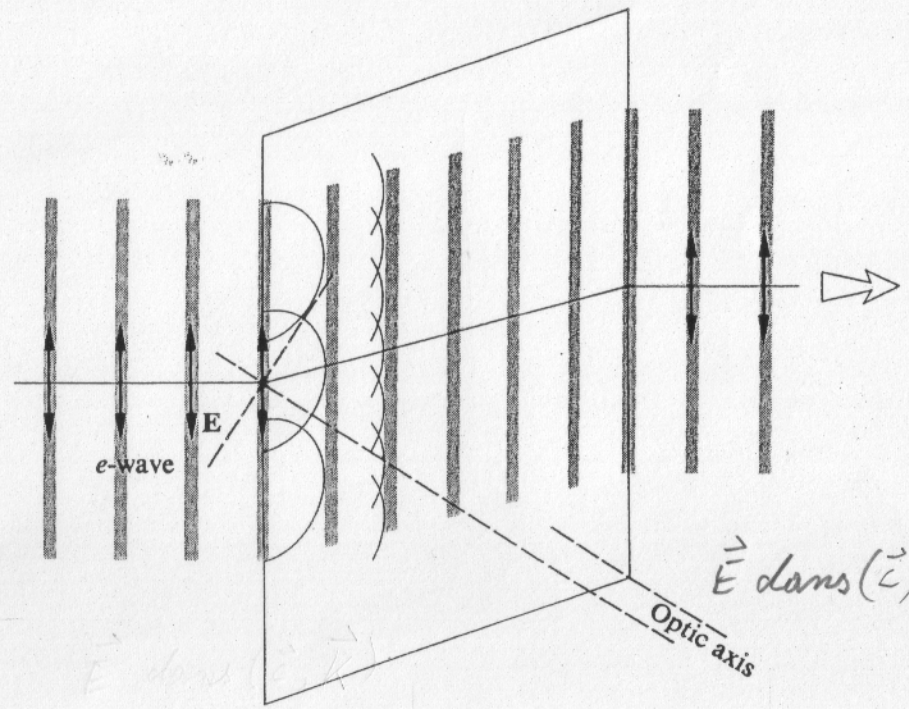
similaire : Dichroïsme (Absorption $\propto (\theta)$)

Birefringence





$\vec{E} \perp (\vec{c}, \vec{k})$

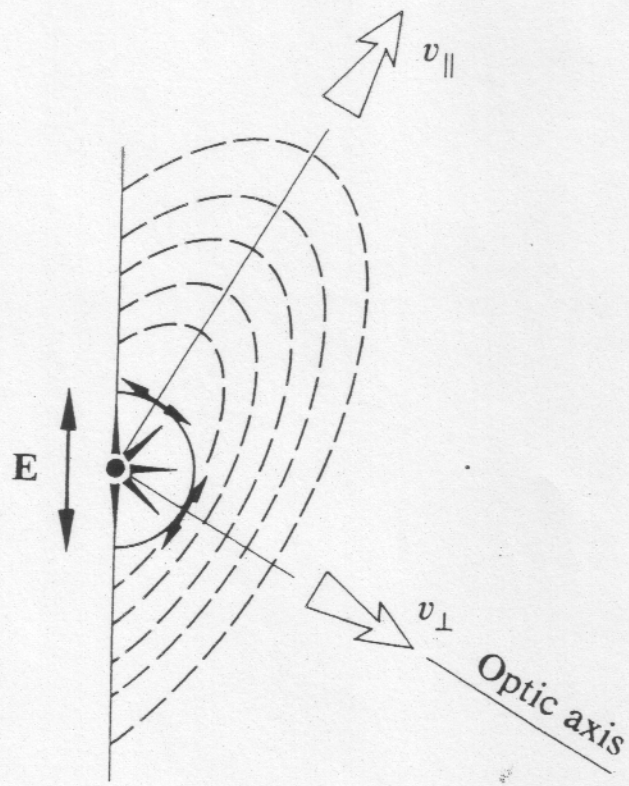


\vec{E} dans (\vec{c}, \vec{k})

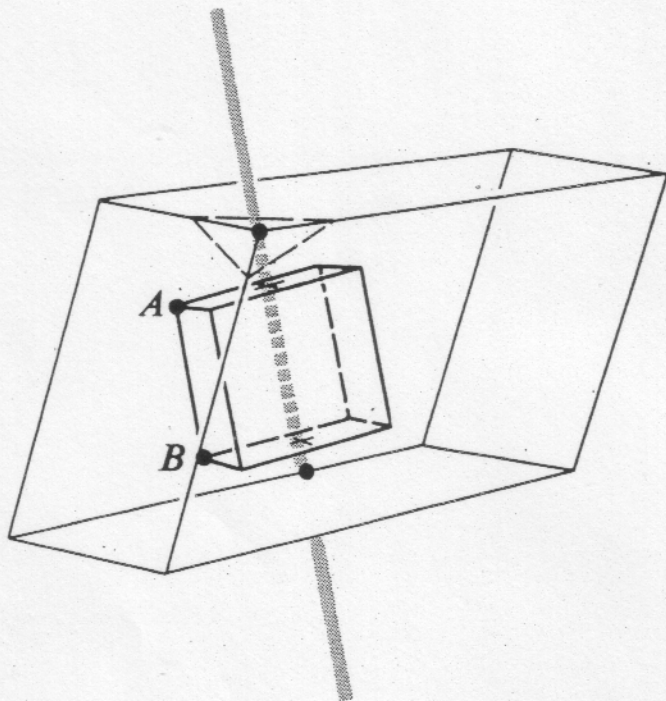
\vec{E} dans (\vec{c}, \vec{k})

A : Section principale : plan (\vec{c}, \vec{k}) formé de l'axe optique et la direction de propagation \vec{k}

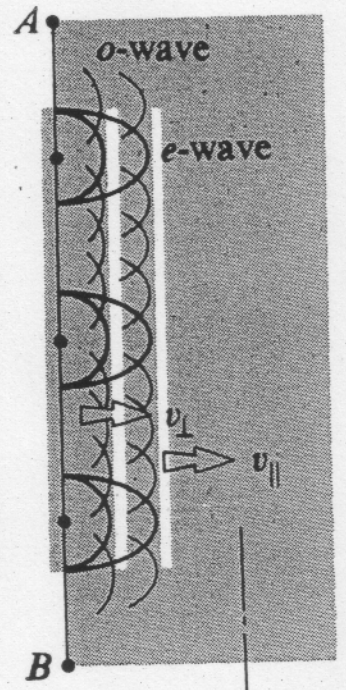
Ondelets dans le calcite



calcite

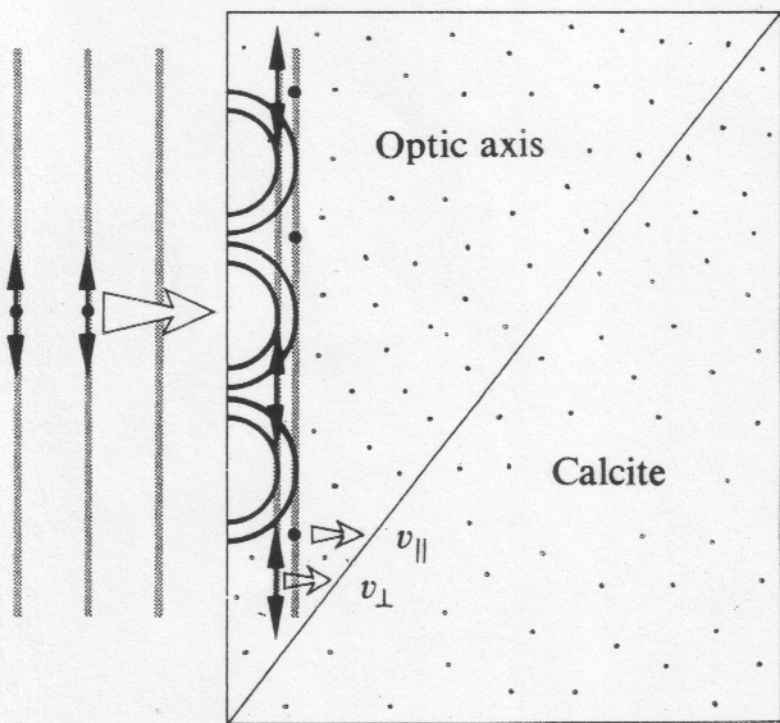
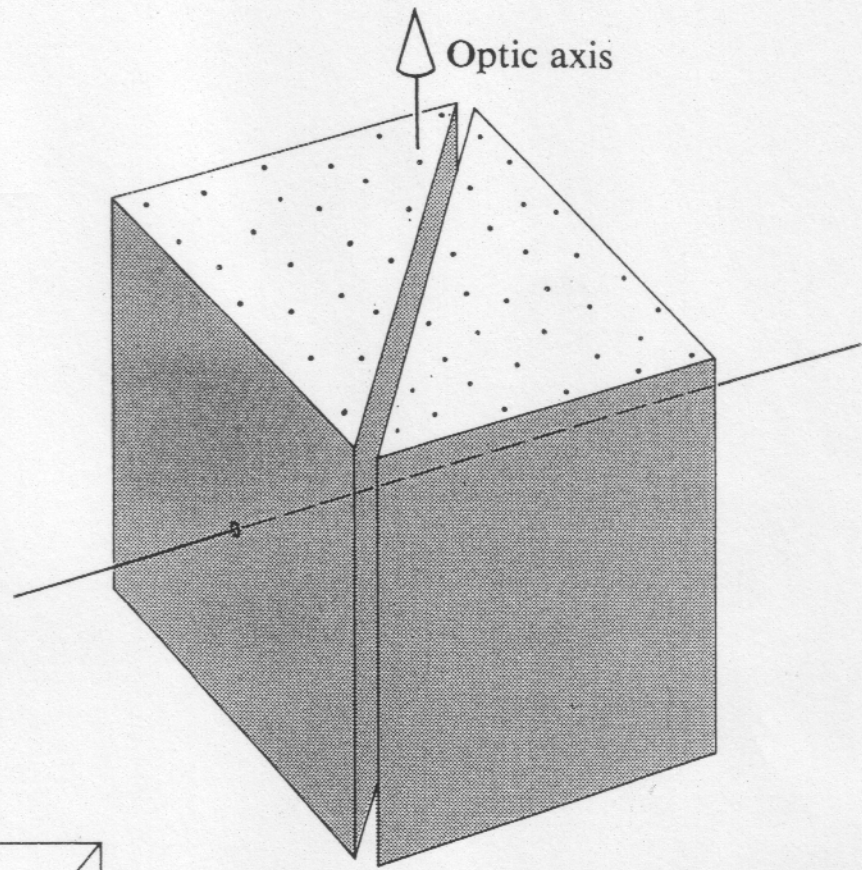
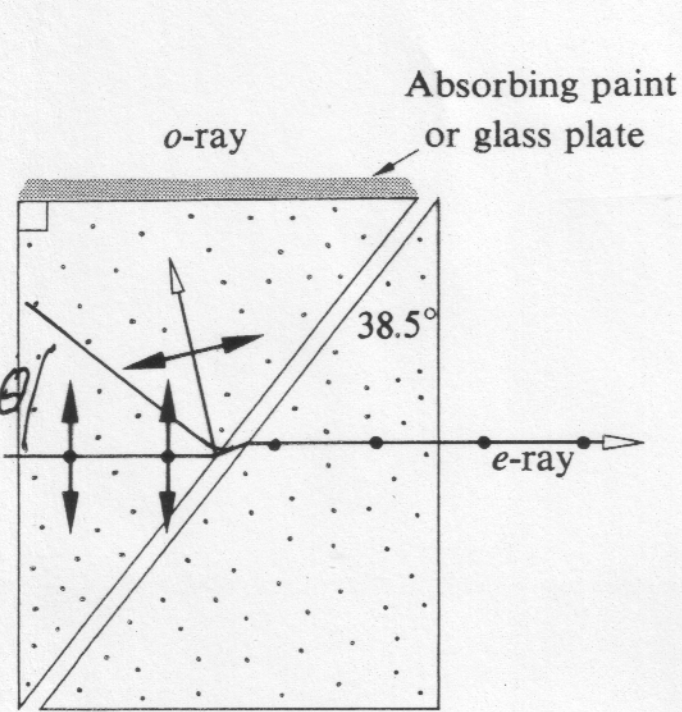


Optic axis



Optic axis

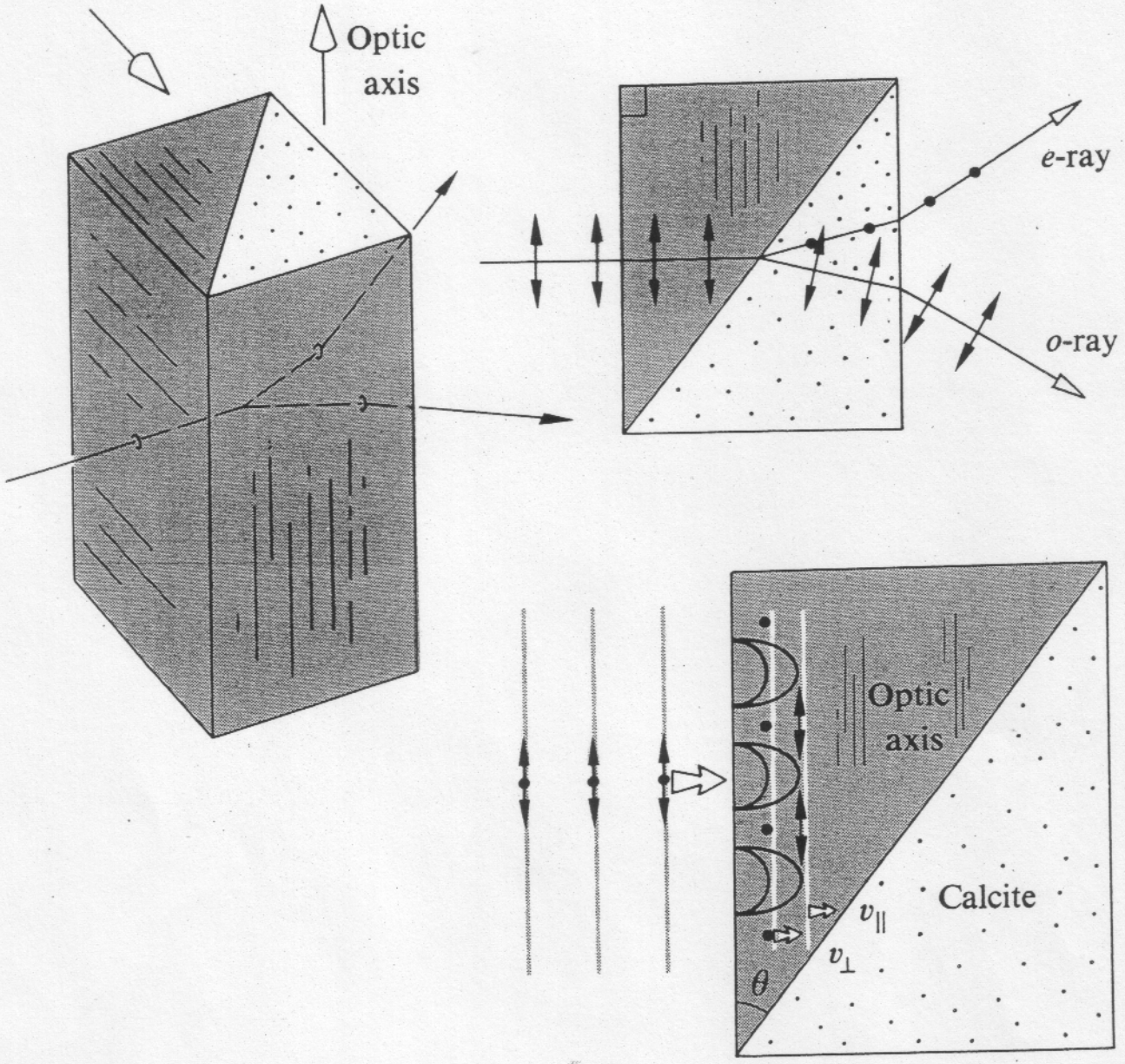
Glan - Foucault prism



$$i \quad n_e < \frac{1}{\sin \theta} < n_o \rightarrow$$

o: réflexion totale
e: transmis

Prisme de Wollaston

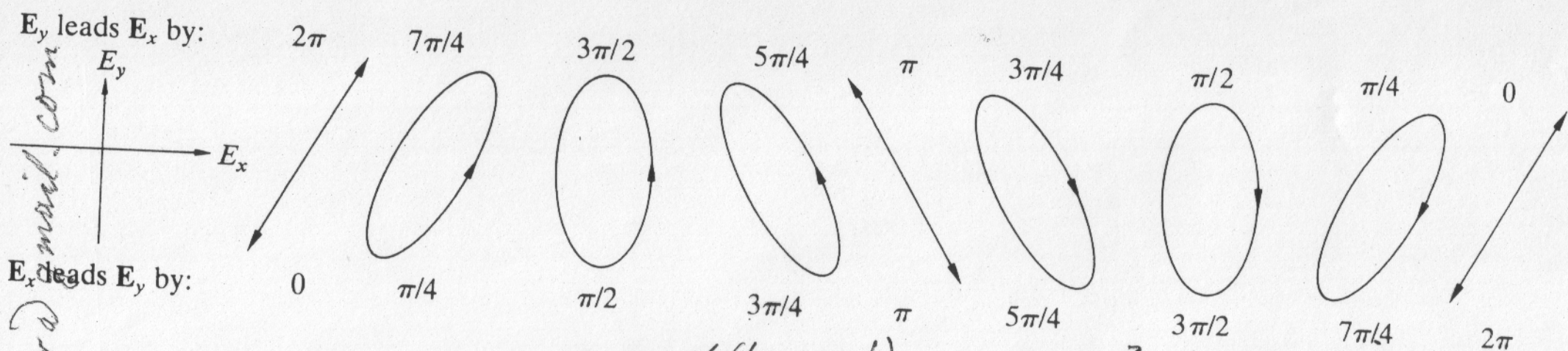


Après la séparatrice $e \Rightarrow o$

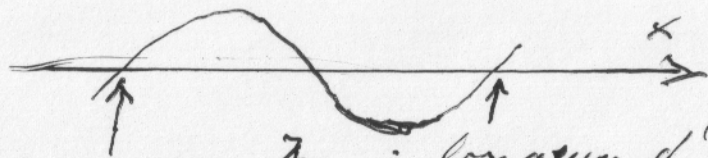
$o \Rightarrow e$

\Rightarrow il y a 2 faisceaux à la sortie

La me 1/4 onde, 1/2 onde



si $d(n_0 - n_e) = m \lambda_0 + \lambda_0/4$
 lame 1/4 onde : { linéaire \Rightarrow circulaire ; circulaire \Rightarrow lin
 " 1/2 " : linéaire \Rightarrow linéaire



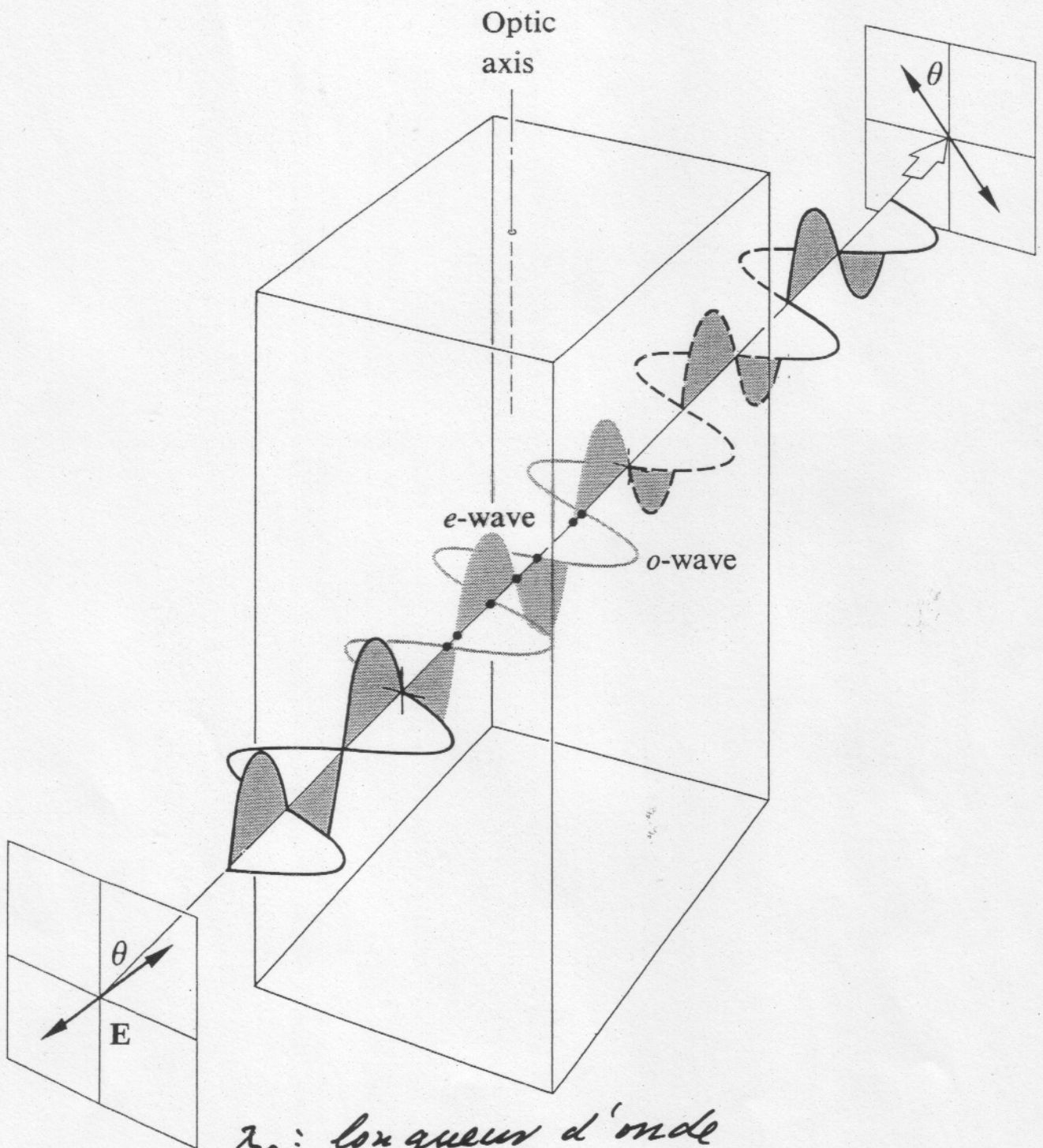
λ_0 : longueur d'onde

$$A(x) = A \sin\left(2\pi x / \lambda_0\right)$$

dephasage : 2π

mardocbeedora@mail.com

12
Lame 1/2 onde



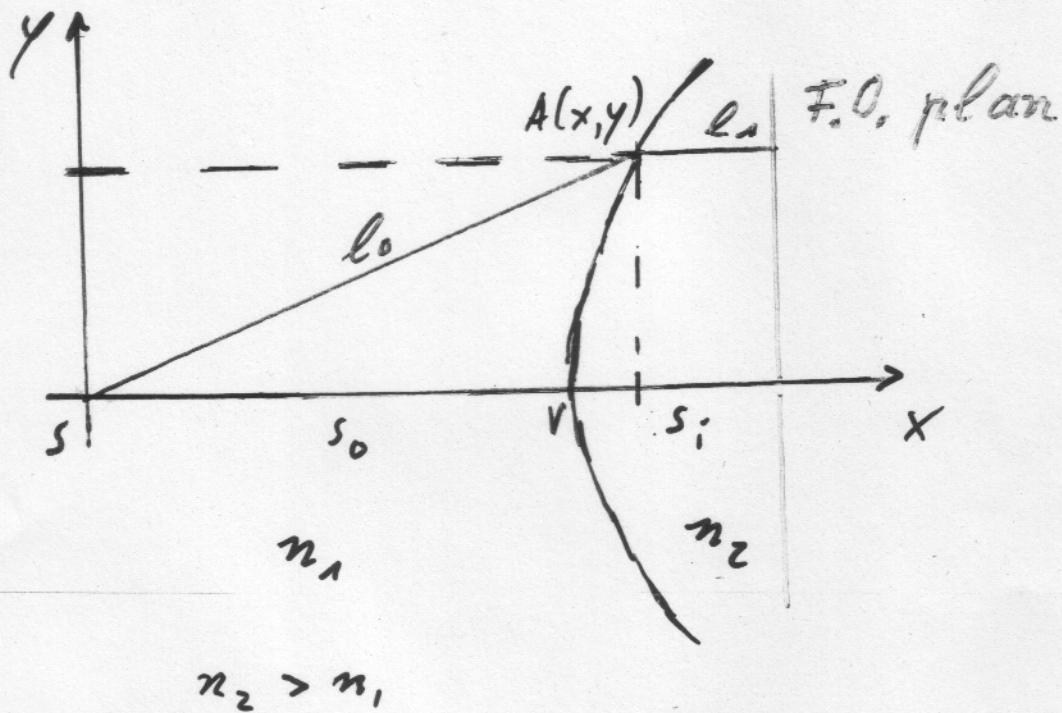
λ_0 : longueur d'onde

\Rightarrow linéaire \Rightarrow linéaire

$$\text{Si } d(|n_o - n_e|) = (2m + 1) \lambda_0 / 2$$

Front d'onde plan :

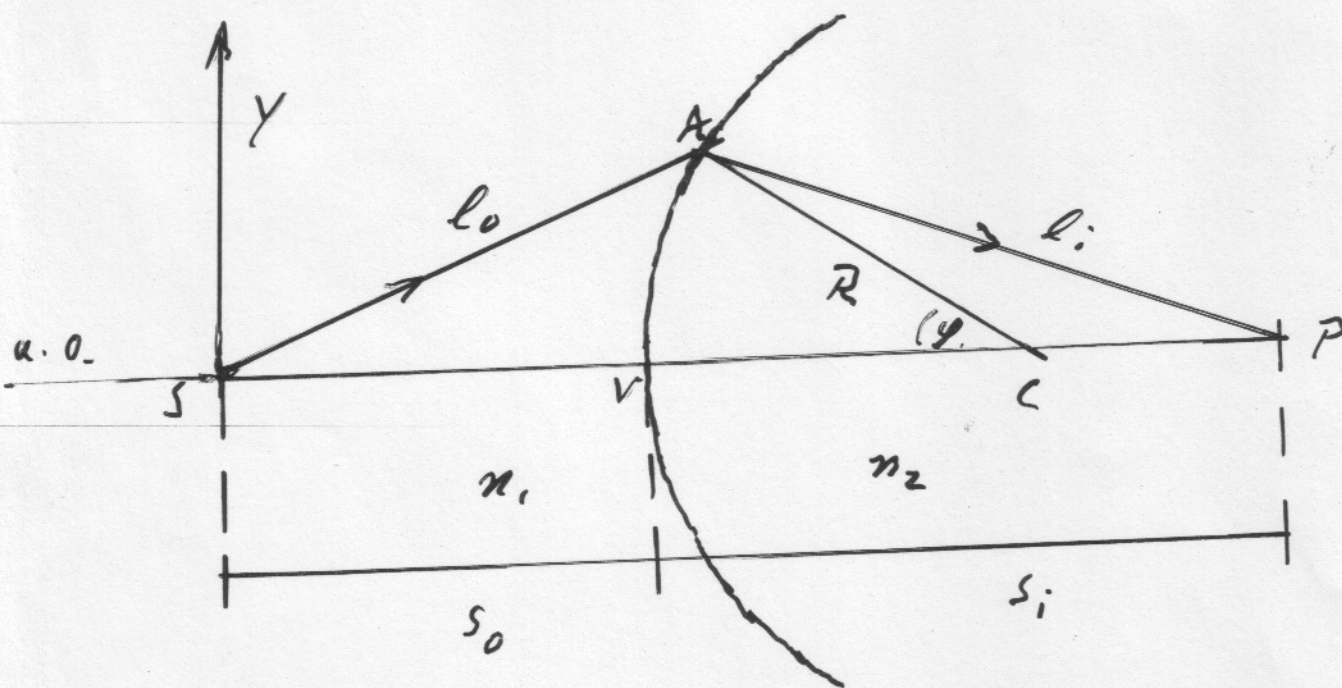
Surface hyperbolique : $(A(x,y))$



14

Dioptré sphérique convergente

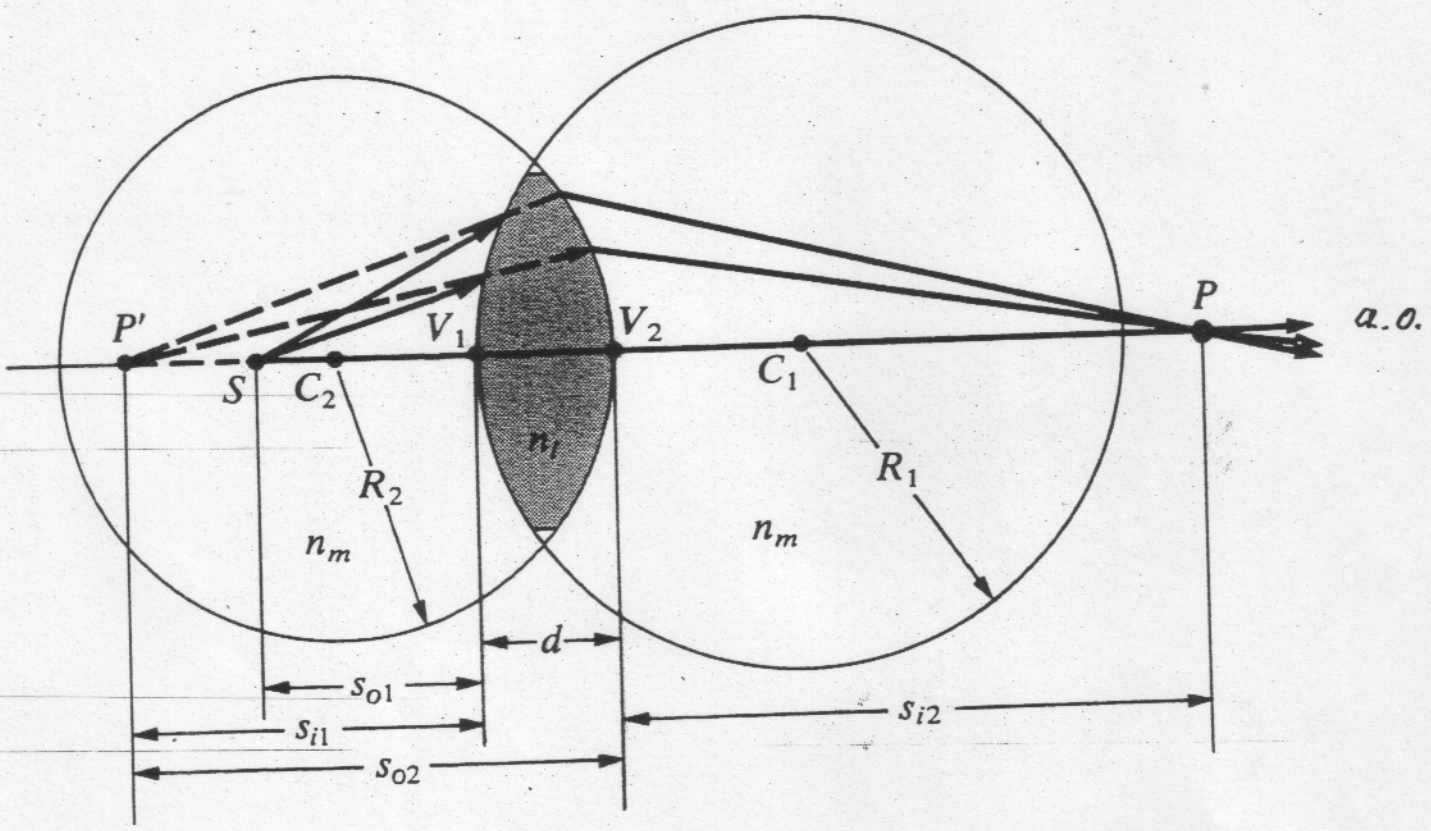
$$n_2 > n_1$$

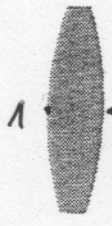







V : vortex S : source P : point focal

$$S_0 = \overline{SV} \quad , \quad S_i = \overline{VP}$$

Lentille



CONVEX	CONCAVE
 <p>A lens with two convex surfaces. The left surface is labeled '1' and the right surface is labeled '2'. To the right of the lens, the radii of curvature are given as $R_1 > 0$ and $R_2 < 0$.</p> <p>Bi-convex</p>	 <p>A lens with two concave surfaces. The left surface is labeled '1' and the right surface is labeled '2'. To the right of the lens, the radii of curvature are given as $R_1 < 0$ and $R_2 > 0$.</p> <p>Bi-concave</p>
 <p>A lens with one flat surface and one convex surface. The flat surface is on the left and the convex surface is on the right. To the right of the lens, the radii of curvature are given as $R_1 = \infty$ and $R_2 < 0$.</p> <p>Planar convex</p>	 <p>A lens with one flat surface and one concave surface. The flat surface is on the left and the concave surface is on the right. To the right of the lens, the radii of curvature are given as $R_1 = \infty$ and $R_2 > 0$.</p> <p>Planar concave</p>
 <p>A lens with two convex surfaces of different radii. The left surface is more curved than the right surface. To the right of the lens, the radii of curvature are given as $R_1 > 0$ and $R_2 > 0$.</p> <p>Meniscus convex</p>	 <p>A lens with two convex surfaces of different radii. The right surface is more curved than the left surface. To the right of the lens, the radii of curvature are given as $R_1 > 0$ and $R_2 > 0$.</p> <p>Meniscus concave</p>